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Patrick Rauer on behalf of the XFELO team



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Der Forschung | der Lehre | der Bildung

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- Motivation and background
- A walkthrough
- A proof of principal experiment at the SASE1 beamline
 - Conceptual design
 - Nominal performance
 - Impact of error sources
 - The impact of heat load
- Challenges \rightarrow Alignment and commissioning

Summary



FEL-Concepts



CBXFEL = X-ray cavity with monochromatizing mirrors



A Walkthrough

A Walkthrough

A Walkthrough

A Cavity Based X-ray FEL Demonstrator for the European XFEL SASE vs. CBXFEL

CBXFEL

- Bandwidth
- Very high peak spectral density
- ~full pulse coherence (3D)

<u>Use Cases</u>

- Spectroscopy
- Quantum optics
- High peak power applications
- Moving closer to optical lasers
 - \Rightarrow Development potential

A Cavity Based X-ray FEL Demonstrator for the European XFEL Why at the European XFEL?

CBXFEL necessities:

High enough single pass gain to compensate for losses

Brilliant electron beam (Linac)

Matching between electron bunch repetition and photon pulse round trip time

 \rightarrow In comparison EuXFEL: electron bunch repetition rate 2.25 MHz \leftrightarrow 132 m optical path length

Proof of Principle Experiment at SASE1

R&D project to realize a proof of principle CBXFEL demonstrator at the EuXFEL.

- Located in the SASE1 tunnel
- Using last four (typically not used) undulators
- Based on 2.25 MHz repetition rate \leftrightarrow 132 m roundtrip length

Proof of Principle Experiment at SASE1

- Principle goal: Proof that seeding (and stable operation) with a cavity based XFEL is possible!
 Keep it simple!
 - Cavity in backscattering geometry → No wavelength tuneability
 - ► Using grazing incidence mirrors to detune crystal some mrad from exact 90° incidence

Proof of Principle Experiment at SASE1

Proof of Principle Experiment at SASE1

Principle goal: Proof that seeding (and stable operation) with a cavity based XFEL is possible! Keep it simple!

- Cavity in backscattering geometry → No wavelength tuneability
 - ► Using Kirkpatrick-Baez mirrors to detune crystal some mrad from exact 90° incidence
- Shall work with regular (250 pC) SASE operation electron bunches
- Very simple transmission scheme \Rightarrow Just use regular crystal transmission

What is actually transmitted?

Including Alignment Error, Electron Jitter and Surface Error

Including Alignment Error, Electron Jitter and Surface Error

The Problem of Thermal Load: Saturated CBXFEL (~10 mJ pulse energy)

Heating at full pulse energy much too high

Does the CBXFEL reach a stable state at lower pulse energies in fully coupled simulation?

Including Thermal Response

Including Thermal Response/ Introducing additional losses/outcoupling

- Adding 15% of additional losses before downstream mirror (grating scheme)
 Matching pulse energy in saturation to 1mJ
- Stable operation could be achieved
 - Reduced pulse energy

Simulation results

Transmitted (grating)	
Sat. pulse energy	0.16(1) mJ
Spectral Q density	~30 µJ/THz
Brilliance	1.9(2)*10 ³³
Transmitted (cryst)	
Sat. pulse energy	0.15(2) mJ
Spectral Q density	~4 µJ/THz
Brilliance	1.7(4)*10 ³³
SASE	
Sat. pulse energy	~3 mJ
Spectral Q density	~0.5 µJ/THz
Brilliance	~5*10 ³³

The Challenges of Alignment

Undulators and chicane need dedicated alignment and optimization \leftarrow lot of experience from operations

Monochromator alignment: Very challenging due to tight positional tolerances

Monochromators: Relevant Degrees of Freedom

Mono 1

$$ray^{M_{in}} = (\mathbf{x}^{\circ}_{\perp} \boldsymbol{\theta}^{\circ}_{\perp} t^{\circ})$$

$$ray^{M_{in}} = (\mathbf{x}^{i}_{\perp} \boldsymbol{\theta}^{i}_{\perp} t^{i})$$

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Individual Monochromators' Errors

d: $\Delta \alpha < 2.5$ mrad

How to achieve tolerances?

1. Rough pre-alignment (in and out of tunnel):

Tolerance difference pitch P and roll R between crystals and Kbs: $(\Delta P, \Delta R)_{single} = (P_c - P_{KB}, R_c - R_{KB}) \le 100$ nrad

Distance error downstream and upstream Mono: $\Delta z \le 10 \mu m$: pre-alignment to $\Delta z \le 0.5 mm$

Alignment errors on Kbs:

Distance error $\Delta I \rightarrow (\Delta x, \Delta y)_{out} = 2^* (Roll, Pitch)_{C}^* \Delta I < 5 \mu m: \Delta I < 1 mm$

Common deviation Pitch, Roll from design ($\Delta R, \Delta P$): ($\Delta x, \Delta y$)_{out} = 2*($\Delta R, \Delta P$)*I < 5µm: $\Delta R, \Delta P$ < 10µrad

Yaw error $\Delta \alpha$ (@ α =- $\pi/4$): (ΔR , ΔP)[$\Delta \alpha$] \approx (-sin(θ ,)· $\Delta \alpha^2/\sqrt{2}$, $\sqrt{2}$ ·sin(θ ,)· $\Delta \alpha$) < 10µrad: $\Delta \alpha$ < 2.5mrad

Diadic error $\Delta \alpha_d (@\alpha = -\pi/4)$: $(\Delta R, \Delta P)[\Delta \alpha_d] = (0, 2 \cdot \sqrt{2} \cdot \sin(\theta_{in}) \cdot \Delta \alpha_d) < 10 \mu rad$: $\Delta \alpha_d < 1 m rad$

Positioning error (Δx,Δy)_{κB}: (Δx,Δy)_{out}≈ 2*(Δx,Δy)_{κB}< 5μm: Δx_{κB},Δy_{κB}< 2μm

How to achieve tolerances?

- 1. Rough pre-alignment (in and out of tunnel):
- 2. In Tunnel Fine Alignment:

How to achieve tolerances?

- 1. Rough pre-alignment (in and out of tunnel):
- 2. In Tunnel Fine Alignment:
 - i. Diamond Crystal Alignment
 - Tracking reflection *notches* using HIREX spectrometer $\leftarrow \Delta \theta_c \le 1 \mu rad$
 - Tracking beamspot after reflection of SASE beam using intra-cavity diagnostics $\leftarrow \Delta \theta_{\leq} \leq 100 \text{ nrad}$

How to achieve tolerances?

- 1. Rough pre-alignment (in and out of tunnel):
- 2. In Tunnel Fine Alignment:
 - i. Diamond Crystal Alignment ($\Delta \theta_c \leq 100 \text{ nrad}$)
 - ii. KB mirrors alignment tracking beamspot of inter-cavity radiation

A Cavity Based X-ray FEL at the European XFEL

Summary

CBXFEL promises outstanding radiation characteristics
 Orders of magnitude higher peak spectral flux than SASE
 High shot to shot stability

European XFEL ideal facility for realization of an CBXFEL

- R&D project for implementing a proof of principle CBXFEL demonstrator
 Simple setup with feasible (but demanding!) tolerances
- Experiment may deliver intense pulses with very high spectral flux
- Unstable operation/reduced pulse quality if incorporating crystals' thermal response
- Demanding alignment based on individual component strategy
 - Lot of components to align with limited number of diagnostics

THANK YOU!

BACKUP

Start-2-End Modeling of a CBXFEL: Three Fully Coupled Submodules

Start-2-End Modeling of a CBXFEL: Four Submodules

Start-2-End Modeling of a CBXFEL: Three Fully Coupled Submodules (+1)

CBXFEL background information

XFELO vs. CBXFEL + tunable cavity + outcoupling schemes

Some Semantics: XFELO vs CBXFEL

XFELO

Low gain device ()

- Saturation after some hundreds of roundtrips
 → Very stable output
- Principally upgradable to phase locked resonator
- Low gain ← Very sensitive to all forms of distortions

XRAFEL (CBXFEL)

- Intermediate to high gain device (to)
- Saturation after from 5 to some tens of roundtrips
- Less sensitive to distortions than XFELO
- Output more dependent on electron beam properties + fluctuations
- Much more stable than SASE due to powerful seed

CBXFEL background

Tunable cavity



CBXFEL background

Outcoupling schemes

- Outcoupling via thin crystal (thermal load problems) or thick crystal (this work, decreased temporal coherence)
- Outcoupling by intracavity beam splitters/grating
- Outcoupling by polarization control (needs angle) \leftarrow with
- Outcoupling by pinhole (needs high FEL gain)
- Cavity dump (for example by mechanic/thermal detune)
- Use the beam microbunching



CBXFEL background

Outcoupling schemes: via Microbunching

Use the beam microbunching





Mirror configuration

Mechanical realization + nBeam-diffraction + Impact of Montel gap



Conceptual design

Mirror Geometry





- Assuming error of 1 mrad: Still three orders of magnitude compensation!
- 50 μ rad \rightarrow 100 nrad



X-ray Diffraction

nBeam diffraction





Idealized Case

Simulation results	
Before reflection	
Sat. pulse energy	31.5(1) mJ
spectral width	5.7(1) meV
rms duration	214(4) fs
-product (1.85(7)
Brilliance	4.84(3)*10 ³⁶
Brilliance SASE	~5*10 ³³



Idealized Case



Non-Idealized Case: What (most relevant) error sources are there?



Non-Idealized Case: What (most relevant) error sources are there?



Idealized Simulation

Gain evolution + oversaturation + improvement of transmitted pulse



Gain and longitudinal evolution

Gain and corresponding spectrum

Monochromatic seed

Full idealized simulation (different roundtrips)



Gain and longitudinal evolution

Gain and Q evolution



Transmitted pulse

Wigner Diagram and improvement by additional monochromatization



Impact of error sources

More detailed overview on tolerances + mirror surface error + cystal strain + Bragg slope error (Pradhan et al.)











A Cavity Based X-ray FEL Demonstrator at the European XFEL

Non-Idealized Case: Bragg slope error (from Pradhan et al., Small Bragg-plane slope errors developed in synthetic diamond crystals, JSR(2020))



VE6

Page 45

Non-Idealized Case: What (most relevant) error sources are there?



Non-Idealized Case: Mirror Surface Error



Non-Idealized Case: Crystal strain





Non-Idealized Case: Bragg slope error (from Pradhan et al., Small Bragg-plane slope errors developed in synthetic diamond crystals, JSR(2020)) (a_1) FWHM [urad] (c_1) COM Effective pixel size $[\mu m]$ FWHM [μ rad] $COM [\mu rad]$ 17 312 0 208 208 312 0 104 104 104 208 0 312 1.2 18 14 $1 \times 1 \text{ mm}^2$ $2 \times 2 \text{ mm}^2$ $4 \times 4 \text{ mm}$ 1.0 15 $\left<\sigma_{ heta}\right>\left[\mu\mathrm{rad}
ight]$ 11 - D3 0.8 **—** VB6 12 VB5 0.6 •• VB4 ---*-- Si 0.4 2 3 4 5 2 3 4 5 0 1 0 1 (a_2) 0.2 (b_{2}) (c_{2}) 24 0.021 -6 0.08 18 -9 3 0.06 15 -122 $\langle \Sigma_{\Delta\theta} \rangle$ -15 12 0.04 18 2 3 4 5 2 3 4 5 0 1 0 0.02 (b_{3}) (a_3) (c_{3}) 25 $2 \times 2 \text{ mm}^2$ $1 \times 1 \text{ mm}$ $4 \times 4 \text{ mm}$ mm 0.018 80 80 120 40 80 120 0 40 120 0 40 22 53 Binning number, N 15 19 12 16 0 2 3 5 0 2 3 4 4 5

 $x | \mathrm{mm} |$

MDI Seminar P. Rauer, 02.03.2022

DESY.

Electron distributions

Electron distribution before and after traversing the undulator





250pC Electron-Bunch Phase Space Distribution

At start of Undulator



After Undulator (saturation)



DESY. MDI Seminar P. Rauer, 02.03.2022

Electron Distribution after FEL in saturation

Roundtrip 1

Saturation



The Problem of Heat Load

- Saturated CBXFEL \rightarrow ~10 mJ pulse energy incident on crystal at 2 MHz rate
 - Disturbing optical stability (long term vibrations)
 - Disturbing the crystal spectral reflectivity









Thermal simulations

Passively Q-switched, weak gain, impact of thermoelasticity



Including Thermal Response (passively Q-switched, bad case)



Wavefront distortions

Including Thermal Response/ Reducing FEL gain to match pulse energy in saturation to 1mJ



Thermoelastic Response



Thermoelastic Response



Thermoelastic Response



Background on thermal response

Heatload distribution + advantage of low T + boundary scattering + reduced + size of heat source + diamond probs





Nanoscale Thermal Conductivity

- Heat source varies on same scale as l_{efp} of carriers:
- In 2D/3D heat source and temperature gradient need to be convoluted by (complex) exponential decay function
- Effective reduction of heat conductivity
 For nonlinear transport and complex heat source terms analytically very involved (impossible?)
- At high temperature jumps probably of little importance

8127. Disputation P. Rosev, 82 83 3023





X-ray crystal interaction

Heat absorption



The Problem of Heat Load → Low Crystal Temperatures

Thermal strain versus excess energy:

∖ small

Severely increased heat transport at low
Lowered due to boundary scattering

Dynamic elasticity mostly determined by strain directly after absorption (~no benefit of cooling)



Nanoscale Thermal Conductivity

Boundary Scattering

- Increase of phonon mean free path at low T
 Phonons can reach the crystal boundary without scattering
 - Reflection can occur specularly (no impact on thermal conductivity in radial direction) or diffusively (same as point defect)
 - A 100% diffusive scattering is assumed



With, where
Nanoscale Thermal Conductivity

Using First-Principles Program ALMABTE

Mode resolved scattering time/length

Additional shape dependent boundary scattering term



Nanoscale Thermal Conductivity

Using First-Principles Program ALMABTE

Mode resolved scattering time/length

Additional shape dependent boundary scattering term



Nanoscale Thermal Conductivity

Finite size of heat source

- Heat source varies on same scale as l_{mfp} of carriers:
 - In 2D/3D heat source and temperature gradient need to be convoluted by (complex) exponential decay function
 Effective reduction of heat conductivity
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Profile of a heated crystal



Diamond DOS and specific heat



Alignment

Crystal transmission scheme + Grating scheme + step by step alignment



Proof of Principle Experiment: Two Compatible Transmission Schemes



Scheme 1: Just use the regular crystal transmission

- Very simple \rightarrow most probable scheme for initial experiment (also used for following simulations)
- Problem of low X-ray intensity during alignment
- Phase space of transmitted radiation is different to one of trapped radiation (next slide)

Proof of Principle Experiment: Two Compatible Transmission Schemes



- Scheme 1: Use a grating for outcoupling
 - Direct access to radiation inside the cavity (longitudinal and transverse)
 - Possibility to couple in SASE for alignment
 - More complex component-wise

Preliminary Alignment Concept

1. Pre-alignment:

- Out-of-tunnel measurements
 - Rough positioning
 - Verify motor reproducibility/accuracy
 - ...

In experimental hutch:

 More accurate alignment of components (each Mono individually) by using full SASE + existing diagnostics

In tunnel:

- Initial longitudinal positioning by 0.5mm
- 2. Direct monitoring of photon pulse with respect to crystal/mirrors
 - Either use fluorescent spot induced by SASE or calibrate by using shadows cast on SASE

Tolerances as derived from non-idealized simulation

angular tilt	100 nrad
longitudinal pos.	7.5 µm
transversal pos.	10 µm

Preliminary Alignment Concept

- 1. Pre-alignment:
- 2. Direct monitoring of photon pulse with respect to crystal/mirrors
 - Either use fluorescent spot induced by SASE or calibrate by using shadows cast on SASE
- 3. Fine crystal alignment (using HIREX) [in discussion if necessary]
 - Tracking the notches in transmission spectrum via angular change
 - Can reach accuracies down to 50nrad!
 - However, we need combined accuracy of Montel+crystals!

Tolerances as derived from non-idealized simulation

angular tilt	100 nrad
longitudinal pos.	5 µm
transversal pos.	10 µm

Preliminary Alignment Concept

Tolerances as derived from non-idealized simulation

angular tilt	100 nrad
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- 1. Pre-alignment:
- 2. Direct monitoring of photon pulse with respect to crystal/mirrors
- 3. Fine crystal alignment (using HIREX) [in discussion if necessary]
 - Tracking the notches in transmission spectrum via angular change
- 4. Combined alignment of mirror + crystal angle by using scintillators inside the cavity
 - First downstream Mono (also using SASE)

Then upstream Mono



Preliminary Alignment Concept

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- 4. Combined alignment of mirror + crystal angle by using scintillators inside the cavity
- 5. Measure multiple round trip ring down (information on cavity losses)
 - Either use photodiodes or fast gating
 - Easier with grating scheme



Preliminary Alignment Concept

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- 4. Combined alignment of mirror + crystal angle by using scintillators inside the cavity
- 5. Measure multiple round trip ring down (information on cavity losses)
 - Either use photodiodes or fast gating
 - Easier with grating scheme
- 6. Longitudinal alignment by looking for seeding with HIREX (in =5 μ m steps)

From HXRSS to CBXFEL

Design and Construction of Hard X-ray Self-Seeding Setups for the European XFEL, Project Proposal, DESY, 2014



From HXRSS to CBXFEL

Design and Construction of Hard X-ray Self-Seeding Setups for the European XFEL, Project Proposal, DESY, 2014



A Cavity Based X-ray FEL Demonstrator for the European XFEL From HXRSS to CBXFEL



Start-2-End Modeling of a CBXFEL: Three Fully Coupled Submodules (+1)



A Cavity Based X-ray FEL Demonstrator for the European XFEL SASE vs CBXFEL





A Walkthrough



Proof of Principle Experiment at SASE1



- Surface curvature to achieve focussing
- All three mirrors at 90° \rightarrow Retroreflector:
 - \rightarrow Decoupling from outer vibrations
- Dyadic error (not perfect 90°) \rightarrow loss in compensation
 - Assuming error of 1 mrad: Still three orders of magnitude compensation!
 - 50 μ rad \rightarrow 100 nrad

Including Thermal Response/ Introducing additional losses/outcoupling

- Adding 15% of additional losses before downstream mirror (grating scheme)
 Matching pulse energy in saturation to 1mJ
- Stable operation could be achieved
 - Reduced pulse energy



Simulation results

Transmitted (grating)			
Sat. pulse energy	0.16(1) mJ		
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SASE			
Sat. pulse energy	~3 mJ		
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Brilliance	~5*10 ³³		

Non-Idealized Case: What (most relevant) error sources are there?



XFELO-project: Alignment Concept

Monochromators: Relevant Degrees of Freedom

Mono 1

$$ray^{M1}_{out} = (\mathbf{x}^{\circ}_{\perp}, \mathbf{\theta}^{\circ}_{\perp}, t^{\circ})$$

$$ray^{M1}_{in} = (\mathbf{x}^{i}_{\perp}, \mathbf{\theta}^{i}_{\perp}, t^{i})$$

$$ray^{M1}_{out} = (\mathbf{x}^{\circ}_{\perp}, \mathbf{\theta}^{\circ}_{\perp}, t^{\circ})$$
Mono 2

Action of Mono 1 + Mono 2:	$\Delta \mathbf{x}_{\perp}$ [µm]	$\Delta \boldsymbol{\theta}_{\perp}$ [nrad]	∆t [µm]
$\blacksquare ray^{M1}_{out} = ray^{M2}_{in} + (\Delta \mathbf{x}_{\perp} \Delta \boldsymbol{\theta}_{\perp} \Delta t)$	10	200	10

Joint tuning: 7D phase space (without individual Mono components) ← infeasible!
 Tune every Mono on its own!

XFELO-project: Alignment Concept

Monochromators: Inside the black box



- Some (nominal) parameter
 - Position crystal/X-ray intersection: (x,y)=(0,0)
 - Distance center KB1 to crystal: I_{C-KB1} = 255mm
 - Angle of incidence on KBs: $\theta_{ln} = 3.1 \text{mrad}$ (Roll,Pitch) = (4.4 mrad, 0)
 - Yaw of Kbs: $\alpha = -\pi/4$



 $(x,y)_{out} = 2^{*}(Roll, Pitch)_{C}^{*}I_{C-KB1} = (2.26mm, 0)$